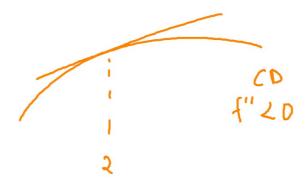


- (A) $f(2) \ge 0$
- (B) $f'(2) \ge 0$
- (C) $f'(2) \le 0$
- (D) $f''(2) \ge 0$
- (E) $f''(2) \le 0$



86. The vertical line x = 2 is an asymptote for the graph of the function f. Which of the following statements must be false?

$$(A) \lim_{x \to 2} f(x) = 0$$

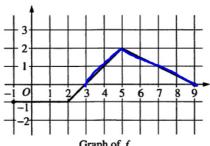
(B)
$$\lim_{x\to 2} f(x) = -\infty$$

(C)
$$\lim_{x\to 2} f(x) = \infty$$

(D)
$$\lim_{x\to\infty} f(x) = 2$$

(E)
$$\lim_{x\to\infty} f(x) = \infty$$

VA @ x=2 $\lim_{x\to 2} f(x) = \pm \infty$



Graph of f

87. The graph of the piecewise linear function f is shown above. Let h be the function given by $h(x) = \int_{-1}^{x} f(t) dt$.

On which of the following intervals is h increasing?

(A) [-1, 3](B) [0, 5](C) [2, 5] only

(D) [2, 9](E) [3, 9] only

(B) [0, 5]

(A)
$$[-1, 3]$$

(B)
$$[0, 5]$$

$$h'(x) = f(x)$$

88. The first derivative of the function f is given by $f'(x) = \sin(x^2)$. At which of the following values of x does

f have a local minimum? Below to above

(B) 2.171

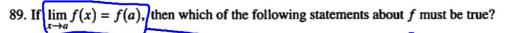
(C) 1.772

(D) 1.253

(E) 0

yl= { Zoum box

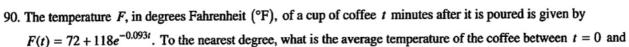
1st tim that graph went below to abo.
FS zeros.



(A) f is continuous at x = a.

f 15 coul at x=a

- (B) f is differentiable at x = a.
- (C) For all values of x, f(x) = f(a).
- (D) The line y = f(a) is tangent to the graph of f at x = a.
- (E) The line x = a is a vertical asymptote of the graph of f.



 $F(t) = 72 + 118e^{-0.093t}$. To the nearest degree, what is the average temperature of the coffee between t = 0 and t = 10 minutes?

- (A) 93°F
- (B) 119°F
- (C) 146°F
- (D) 149°F
 - (E) 154°F

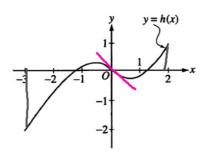
$$\frac{1}{10}\int_{0}^{10}F(t)dt=$$

91. If
$$f'(x) = \cos(x^2)$$
 and $f(3) = 7$, then $f(2) =$

(A) 0.241 (B) 5.831 (C) 6.416 (D) 6.759 (E) 7.241

$$\int_{a}^{3} \cos x^2 dx = 7 - f(2)$$

$$f(1) = 7 - \int_{a}^{3} \cos x^2 dx$$



- 92. The graph of the function h is shown in the figure above. Of the following, which has the greatest value?
 - (A) Average value of h over [-3,2]
 - (B) Average rate of change of h over [-3,2]

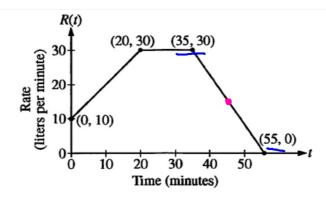
(C)
$$\int_{-3}^{2} h(x) dx$$

(D)
$$\int_{-3}^{0} h(x) dx$$

(E) h'(0)

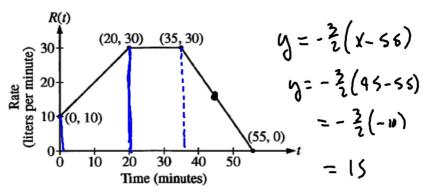
$$\frac{1}{5} \int_{3}^{2} h(x) dx < 0$$

$$\frac{h(12)-h(-3)}{5}:\frac{1+2}{5}=\frac{3}{5}$$



- 1. At time t = 0 minutes, a tank contains 100 liters of water. The piecewise-linear graph above shows the rate R(t), in liters per minute, at which water is pumped into the tank during a 55-minute period.
 - (a) Find R'(45). Using appropriate units, explain the meaning of your answer in the context of this problem.

 $R'(48) = \frac{30-0}{35-55} = \frac{30}{-20} = -\frac{3}{2}.$ The rute at which water is pumped into the tank is devesing at $\frac{3}{2}$ L/M².



(b) How many liters of water have been pumped into the tank from time t = 0 to time t = 55 minutes? Show the work that leads to your answer.

(c) At time t = 10 minutes, water begins draining from the tank at a rate modeled by the function D, where $D(t) = 10e^{(\sin t)/10}$ liters per minute. Water continues to drain at this rate until time t = 55 minutes. How many liters of water are in the tank at time t = 55 minutes?

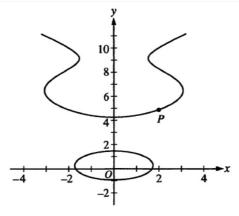
ater are in the tank at time
$$t = 55$$
 minutes?
 $|00 + 1|50 - \int 0 |t| dt = 799.725$
 $|00 + 1|50 - \int 0 |t| dt = 799.725$
 $|00 + 1|50 - \int 0 |t| dt = 799.725$

(d) Using the functions R and D, determine whether the amount of water in the tank is increasing or decreasing at time t = 45 minutes. Justify your answer.

$$R(45) = 15$$

 $D(45) = 10.880$

Amount of water in tank
is incressy at t=45min
because R(45) > D(45).



2. The graph of the equation $x^2 = -2 + y + 5\cos y$ is shown above for $y \le 11$. It is known that $\frac{dy}{dx} = \frac{2x}{1 - 5\sin y}$.

The x-coordinate of point P shown on the graph is 2.

(a) Write an equation for the line tangent to the graph at point P.